Table (2). The experimental yrast levels in  $^{162}{\rm Yb}$ ,  $^{164}{\rm Yb}$  and  $^{166}{\rm Yb}$  are given along with the calculated energies (method I).

I <sup>π</sup>	162 <sub>Yb</sub>		164 <sub>Yb</sub>		166 <sub>Yb</sub>	
	Exp.(a) (KeV)	Calc.	Expt.(b) (KeV)	Calc.	Expt.(c) (KeV)	Calc.
2	166.6	129.95	123.3	125.7	102.3	<sup>102.45</sup> ★
4	487.2	414.70	385.5	398.06	330.2	332.64
6	923.9	820.72	760.2	780.51	667.9	672.61 g.b
8 g.b	1445.2	1311.3	1223.3	1235.60	1097.8	1099.19
10	2023.6	1856.09	1753.7	1734.89	1605.2	1588.45
12	2633.5	2434.04	2330.3	2260.84	2175.7	2118.79
14	3126.4	3032.9	2899.7	2805.2	2779.0	2672.58
16	3597.9	3647.4	3389.5	3366.82	3273.2	3236.74
18	4148.1	4277.6	3932.7	3950.27	3782.0	3803.83
20	4820.9	4928.0	4566.0	4565.8	4370.0	4376.01 s.b
22	5583.2	5607.3	5278.5	5231.26	5038.0	4979.89
24 s.b	6421.5	6329.9	6058.8	5977.08	5777.0	5742.46
26	7312.2	7118.6	6898.0	6860.74		
28	8233.1	8011.6				
30	9151.9	9080.7				

a) ref. (35) N.P. A472 (1987) 295.

b) ref. (36) N.P. A449 (1986) 537.

c) ref. (37) Phys. Scripta, 24 (1981) 329

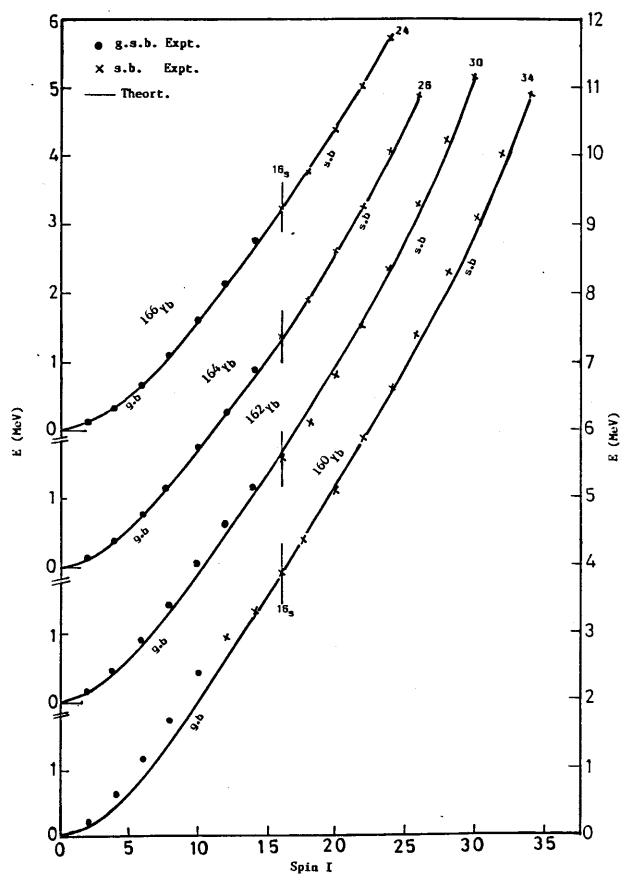


Fig. 1: Plot of the level excitation energies (yrast sequences) as a function of spin for \$160,162,164,166\_{Yb}\$ connected by a theoretical curve derived by fitting eq. (2.4) (B.P. Method I) to the experimental energies for (I < 14<sup>+</sup> and I > 16<sup>+</sup><sub>s</sub>).

One can note from Fig. (1) and the tables 1 and 2 that the agreement depends on the number of the s.b. members participated in the fitting. The numbers are 5,6,9 and 12 for  $^{166}$ Yb,  $^{164}$ Yb,  $^{162}$ Yb and  $^{160}$ Yb respectively.

The general trends predicted by the extension of eq. (2,4) considering the states of both bands (g.b. & s.b.) observed below and above the crossing may be qualitatively reasonably up to even high spin  $I_s^{\dagger} > 34_s^{\dagger}$ .

## III.1.b- (VMI) Predictions :

In an attempt to obtain still better agreement with experiment, we have used eqs. (2.5, 2.6). Once  $\int_0^\infty$  and c were determined for the ground band below  $I_{cross}$ , they were substituted back in eq. (2.5). The other two adjustable parameters of the model (29),  $E_0$  and A, were determined for the superband and substituted in eq. (2.6). These two equations are solved for E corresponding to each value of I. It should be remember that the parameters  $\int_0^\infty$ , c,  $E_0$  and A were determined so as to yield a best fit to the experimental energies. The results obtained are listed in table 1 (column 3 for  $^{160}$ Yb) and table 3. The energy levels predicted are shown in Fig. (2) as compared with the recent experimentally known data for the four Yb isotopes. A good

agreement is shown. It can be seen, in Fig. (2), the s-band crosses the g.b. around spin  $12^+$  for  $^{160}$ Yb &  $14^+$  for the other three isotopes and may cause backbending. The backbending phenomenon is currently interpreted as the band crossing of the ground state rotational band (g) and the spin aligned particle s-band (s). Especially  $^{1}_{13/2}$  neutrons are considered to be responsible for the backbending in the rare-earth nuclei due to the large coriolis force  $^{(46)}$ . The three nuclei  $^{162,164,166}$ Yb exhibit such a behaviour (first backbending) between I  $\approx$  13-16 ft.

Fig. (2) illustrates the crossing along the yrast band in those Yb nuclei. The crossing is observed twice along the yrast band in  $^{160}{\rm Yb}^{(34)}$ . The  $^{1}{\rm st}$  crossing occurs around  $^{160}{\rm c}_{1} \simeq 0.24$  MeV and spin I  $\sim 10$ -12 h, and the second one occurs around critical frequency of  $^{160}{\rm c}_{2} \approx 0.42$  MeV, corresponding to spin values of I  $\simeq 28$  h. It was found that, the agreement between the fitted and the experimental energy levels for the s'.b.  $(28 \leqslant I \leqslant 40)$  is very good. The s-band levels are fitted with the parameters  $(E_0 = 1.6012$  MeV, A = 0.00827, and their values of  $(E_0 = 2.522$  MeV, A = 0.00709) were fitted in to the s'.b. states of spin  $28^+$  up to  $40^+$ .

To confirm the results obtained for any  $2^{\underline{nd}}$  crossing, especially in  $^{160}{\rm Yb}$ , I have compared the calculated